

1. a) $C(1,1)$ BI BI
 $r = \sqrt{10}$ BI

b) ATTEMPT GRAD CP eg $\frac{2-1}{4-1} = \frac{1}{3}$ M1
 IMPLIES GRADIENT NEEDED IS "-3" M1 ft
 $y-2 = "-3"(x-4)$ M1
 SIMPLIFY TO CORRECT ANSWER A1
 $y = 14 - 3x$

2. $ax - x^2$ BI
 $(a^2 - a^2) - (2a - 4)$ M1
 $4 - 2a = -5$ A1
 $a = \frac{9}{2}$ A1 c.a.o

3. $\left(\frac{dy}{dx}\right) = 4x^3 - 6x^2$ BI
 $\left(\frac{d^2y}{dx^2}\right) = 12x^2 - 12x$ BI
 $"4x^3 - 6x^2" = 0$ BI
 $2x^2(2x-3)$ M1
 SIGHT OF 0 & $\frac{3}{2}$ BOTH, MUST BE CO-ORDINATES OR PAIRING STRONGLY
 $(0,1)$ & $(\frac{3}{2}, -\frac{11}{16})$ IMPLIED A1 A1
 CHECKS $x = \frac{3}{2}$ WITH $\frac{d^2y}{dx^2}$, OBTAINS -9 & STATES MIN M1
 CHECKS $x=0$ WITH $\frac{d^3y}{dx^3}$, OBTAINS 0 & FINDS $\frac{d^3y}{dx^3} = 24x - 12$ M1
 OBTAINS $\frac{d^3y}{dx^3}|_{x=0} = -12 \neq 0$ & STATES POINT OF INFLEXION A1

4.

$48 = 60\theta$ MI

$\theta = 0.8 \text{ o.e.}$ AI

$\frac{1}{2} \times 60^2 \times "0.8"$ MI

1440 AI

$\frac{1}{2} \times 24 \times 24 \times 514(0.8)^4$ MI

206.60... AI

FINAL ANSWER A.W.R.T 1233 AI

5. a) 0.8 BI

$5000 \times 0.8^4 = 2048$

MI
MAI

"CENTRAL STRUCTURE"
ALL CORRECT + ANSWER

b) $\frac{5000(1-0.8^{24})}{1-0.8}$

MI

24881 OR 24882 AI

c) 1000×1.05^{23} MI

3071 OR 3072 AI

d) $1000 \times 1.05^{k-1} > 5000 \times 0.8^{k-1}$ BI

$1.05^{k-1} > 5 \times 0.8^{k-1}$

$\frac{1.05^{k-1}}{0.8^{k-1}}$ OR $\left(\frac{1.05}{0.8}\right)^{k-1} > 5$ & THEN ANSWER } ALL MI

e) USE OF LOGS $\log\left(\frac{21}{16}\right)^{k-1} > \log 5$ MI

$(k-1) \log\left(\frac{21}{16}\right)$ MUST USE BRACKET IN (k-1) MI

$k-1 > \frac{\log 5}{\log\left(\frac{21}{16}\right)}$ OR 5.9... MI

$k = 7$ c.a.o AI

IN PART (e)
ALLOW USE OF (=)
BUT NOT IN PART (d)

6. use of $\tan x = \frac{\sin x}{\cos x}$ BI

$a \sin x + b \sin x \cos x = 0$ o.e MI

$\sin x (a + b \cos x)$ MI

$\sin x = 0$ BI

$\cos x = \frac{1}{2}$ MI

0, 180, 60, 300 A2 -1000 (ignore extras)

7. a)

$100 = A \cdot x b^0$

OR $A = 100$

BI

$740 = "100" \times b^{21}$ Allow b^{20} MI

$b^{21} = 7.4$ (OR $b^{20} = 7.4$) MI

$b = 1.0999\dots$ BARE 1.10 A1

b)

$"100" \times 1.10^t > 10000$ MI ft

$1.10^t > \frac{10000}{"100"}$ MI ft

USE OF LOGS WORKS BI

48.33... A1 ft from their "10."

2018 or 2019 A1

Allow use of = instead of <
Do NOT allow trial & improvement
Allow use of n instead t, or n-1, t-1

$$8. \quad \left. \begin{aligned} k^3 - 9k^2 + 24k - 20 &= -4 \text{ o.E.} \\ k^3 - 9k^2 + 24k - 16 &= 0 \end{aligned} \right) M1$$

ATTEMPT TO FIND A FACTOR

e.g. SUBS $k = \pm 1, \pm 2, \pm 4, \pm 8, \pm 16$) M1

STATES $(k-1)$ OR $(k-4)$ IS A FACTOR A1

$(k-1)(k^2 - 8k + 16)$ OR $(k-4)(k^2 - 5k + 4)$ M1

$(k-1)(k-4)^2$ M1

$k = \frac{1}{4}$ A1 BOTH

$$9 \quad A: \pi - \chi_0 \quad B1$$

$$D: \pi + \chi_0 \quad B1$$

$$E: 3\pi - \chi_0 \quad B1$$

$$10 \quad 1 + 7bx + 21bx^2 + \dots \quad M1, M1$$

MULTIPLY OUT TO

$$2 + 14bx + 42bx^2 + ax + 7abx^2 \quad M1 \text{ (allow one error)}$$

$$a + 14b = -41 \quad M1$$

$$42b^2 + 7ab = 357 \quad M1$$

SENSIBLE ATTEMPT TO SOLVE BY SUBSTITUTION M1

$$8b^2 + 41b + 51 \quad A1$$

$$(b+3)(8b+17) \quad M1$$

$$b = -3 \text{ ONLY} \quad A1$$

$$a = 1 \quad A1$$