

1. SIGN OF $x^{\frac{1}{2}}$ & $x^{-\frac{1}{2}}$ B1

$$4x^{\frac{3}{2}} - 12x^{\frac{1}{2}} \quad M1$$

CORRECT METHOD E.g. $(108-36)-(4-12)$ OR $72+8$ M1

$$80 \text{ c.a.o.} \quad A1$$

2. a) $2(-2)^3 - 7(-2)^2 - 5(-2) + 4$ OR $-16 - 28 + 10 + 4$

OR SENSIBLE ATTEMPT ON DIVISION M1

$$-30 \text{ c.a.o.} \quad A1$$

b) $2 \times 4^3 - 7 \times 4^2 - 5 \times 4 + 4$ OR $128 - 112 - 20 + 4$

(DO NOT ACCEPT DIVISION HERE) M1

OBTAINS ZERO + CONCLUSION A1

c) $(x-4)(2x^2+bx+c)$ M1

$$(x-4)(2x^2+x-1) \quad M1$$

$$(x-4)(2x-1)(x+1) \quad A1$$

3 a) $\frac{1}{6}$ o.e. B1

b) $\frac{90}{1 - \frac{1}{6}}$ M1

$$108 \text{ c.a.o.} \quad A1$$

4. $3x^2 - 10x + 3$ B1

$$3x^2 - 10x + 3 < 0 \quad \text{OR} \quad f(x) < 0 \quad B1$$

$$(3x-1)(x-3) \quad M1$$

SIGN OF 3 & $\frac{1}{3}$ AS "CRITICAL VALUES" A1

$$\frac{1}{3} < x < 3 \quad \text{OR} \quad \text{EQUIVALENT METHOD} \quad M1 \uparrow$$

$$\frac{1}{3} < x < 3 \quad \text{OR} \quad \frac{1}{3} \leq x \leq 3 \quad A1 \uparrow \text{ dtp}$$

5. USE OF $1 - \cos^2 3x$ (MUST BE IN $3x$) B1
 SIMPLIFIED TO 3 TERM QUADRATIC e.g. $3\cos^2 3x + 7\cos 3x + 2$ M1
 $(3\cos 3x + 1)(\cos 3x + 2)$ OR SIMILAR INPUT FACTORIZATION M1
 SIGHT OF $-\frac{1}{3}$ AND -2 A1
 SIGHT OF $109.47\dots$ A1
 SIGHT OF $250.53\dots$ A1
 $36.5^\circ, 156.5^\circ, 83.5^\circ$ A2 -1 e e o o

6. a) SIGHT OF "tan" OR $\tan \theta = \frac{2.2}{0.9}$ M1
 $1.18247\dots$ A1

$\pi - 2 \times "1.18247\dots"$ M1
 SIGNS 0.7766 A1 } dtp

b) USE OF PYTHAGORAS M1
 SIGHT OF 2.37697 A1
 $"2.37697" \times 0.7766$ M1
 A.W.R.T 8.05 c.a.o A1

c) $\frac{1}{2} \times ("2.376\dots")^2 \times 0.7766$ OR $2.194\dots$ M1
 $\frac{1}{2} \times 0.4 \times 2.2$ OR 0.99 M1
 A.W.R.T $4.17 - 4.18$ A1

7. $\frac{1}{2} \times 3 \times 18$ or 27 M1

SLATT $\int_{-1}^2 18 - x - x^4 dx$ B1

$18x - \frac{1}{2}x^2 - \frac{1}{5}x^5$ (ALLOW ONE ERROR) M1

$(36 - 2 - \frac{30}{5}) - (-18 - \frac{1}{2} + \frac{1}{5})$ or $\frac{138}{5} - (-\frac{183}{10})$ M1

$\frac{459}{10}$ or 45.9 A1

$\frac{189}{10}$ or 18.9 A1

8. $1 + nkx + \frac{1}{2}n(n-1)k^2x^2$ o.e. M2

ATTEMPTS SOLUTION OF $\frac{1}{2}n(n-1) = 120$ M1

$n = 16$ SEEN A1

$n/k = 40$ B1

$k = \frac{5}{2}$ o.e. A1 ~~It~~ from "that n"

9. $\frac{\log_4(x-4)}{\log_4 16}$ B1

IMPLIES $\log_4 16 = 2$ B1

$2(\log_4 x - \log_4(x-4)) = 2$ M1

$\log_4 \left(\frac{x^2}{x-4} \right)$ A1

$\frac{x^2}{x-4} = 16$ M1

$x^2 - 16x + 64$ A1

$(x-8)^2$ M1

$x = 8$ c.a.o. A1

10. a) $(4, 2)$ BI

ATTEMPT TO FIND DISTANCE FROM "THESE C" TO ANY CORNER M1
 $\sqrt{10}$ A1

b) "ATTEMPTS" $|SR|$ OR $|PQ|$ (OR THEIR MIDPOINTS) M1

SHOWS $\sqrt{20}$ OR $2\sqrt{5}$ A1

$(x-4)^2 + (y-2)^2 = 5$ A1 A1

11.

$\frac{dy}{dx} = 3x^2 + 2ax + b$ BI

$-5 = (-1)^3 + a(-1)^2 + b(-1) - 10 = -5$ o.e. BI

$3(-1)^2 + 2a(-1) + b = 0$ o.e. BI

$a - b = 6$
OR $2a - b = 3$) A1

SOLVES AND OBTAINS $a = -3$ both A1
 $b = -9$

ATTEMPT TO FACTORIZE e.g. $(x+1)(x-3)$ M1

$Q(3, -37)$ A1

$\frac{d^2y}{dx^2} = 6x - 6$ M1

$\left. \frac{d^2y}{dx^2} \right|_{x=3} = 12 > 0$ & STATES (LOCAL) MIN A1