

1. a) SIGN OF  $x^2 - 4x + 7$  M1  
 $a=2$   $b=-2$   $c=6$  B3

b I)  $(4, 6)$  A1 A1

II)  $(1, 2)$  A1 A1

2. a)  $a + 11d = 760$  M1

$a + 24d = 240$  M1

GOOD ATTEMPT AT SIMULTANEOUS EQUATIONS M1

$\Rightarrow a = 1200$  A1

$\Rightarrow d = -40$  A1

B1  $\frac{25}{2}$

b)  $\left(\frac{25}{2}\right) [2 \times "1200" + 24(-"40")]$  OR  $\left(\frac{25}{2}\right) ["1200" + 240]$  M1 STRUCTURE

M1 AU WERT

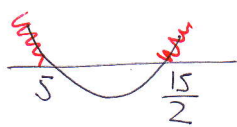
18000 c.e.o. A1

3  $25 - 2x$  B1

$x(25 - 2x) < 75$  M1

$2x^2 - 25x + 75 > 0$  A1

$(2x - 15)(x - 5) > 0$  M1



A1 SIGN OF  $\frac{15}{2}, 5$

M1 DIAGRAM OR EQUIVALENCE

$x < 5$  OR  $x > \frac{15}{2}$  A1 BOTH

DO NOT ACCEPT  $5 > x > \frac{15}{2}$   
ACCEPT AND INSTEAD OF OR

$3 < x < 5$  OR  $\frac{15}{2} < x < 9$  A1 A1

C.a.o

C.a.o

ACCEPT  $\leq$  SO LONG AS IT IS CONSISTENT THROUGHOUT

4. a)  $f'(16) = \frac{16-6}{\sqrt{16}} = \left(\frac{5}{2}\right)$  BI

$y+5 = \frac{5}{2}(x-16)$  AI

O.E f.g  $2y = 5x - 90$

b) SLOPE OF  $x^{\frac{1}{2}} - 6x^{-\frac{1}{2}}$  O.E BI

SLOPE OF  $\int "x^{\frac{1}{2}} - 6x^{-\frac{1}{2}}" dx$  BI

$(f(x) =) \frac{2}{3}x^{\frac{3}{2}} - 12x^{\frac{1}{2}} + C$  A2 -1 e e o o

$-5 = \frac{2}{3} \times 16^{\frac{3}{2}} - 12 \times 16^{\frac{1}{2}} + C$  M1

$\downarrow$   
64

$\downarrow$   
4

M1 (both)

$C = \frac{1}{3}$  OR  $(f(x) =) \frac{2}{3}x^{\frac{3}{2}} - 12x^{\frac{1}{2}} + \frac{1}{3}$  AI

c)  $\frac{x-6}{\sqrt{x}} = -1$  BI

$x + \sqrt{x} - 6 = 0$  M1

$(\sqrt{x} + 3)(\sqrt{x} - 2) = 0$  M1

$\sqrt{x} = 2$  OR  $\sqrt{x} = \cancel{2}$  AI

$x = 4$  ONLY AI

$y = -\frac{55}{3}$  AI

OR  $(x-6)^2 = (-\sqrt{x})^2$

OR  $x^2 - 13x + 36 = 0$

OR  $(x-4)(x-9) = 0$

$$5. \quad (x + 3x\sqrt{3})^2 = 56 + 12\sqrt{3} \quad M1$$

$$x^2(1 + 3\sqrt{3})^2 \text{ or } x^2 + 6\sqrt{3}x^2 + 27x^2 \quad M1$$

$$\text{SLOTT OF } 28 + 6\sqrt{3} \quad B1$$

$$\frac{56 + 12\sqrt{3}}{28 + 6\sqrt{3}} = 2 \quad A1$$

$$x = \pm\sqrt{2} \quad A1$$

$$y = \pm 3\sqrt{2} \quad A1$$

$$6. a) \quad 21 = \frac{u_3 + 1}{2} \quad \underline{\text{OR}} \quad u_4 = 2u_{n+1} - 1 \quad M1$$

$$u_3 = 41 \quad A1$$

b)

$$u_2 = 81 \quad A1$$

$$u_1 = 161 \text{ or } k = 161 \quad A1$$

$$7. \quad kx - 9 = 3(x+1)^2 \quad B1$$

$$3x^2 + (6-k)x + 12 = 0 \quad A1$$

$$\text{"EVENLY ROOTS"} \text{ or } b^2 - 4ac = 0 \text{ or } (6-k)^2 - 4 \times 3 \times 12 \quad B1$$

$$(6-k)^2 = 144 \text{ or } k^2 - 12k - 108 = 0 \text{ O.E.} \quad M1$$

$$6-k = \pm 12 \text{ or } k-6 = \pm 12 \text{ or } (k+6)(k-18) \quad M1$$

$$k = -6, 18 \text{ (BEH)} \quad A1$$

$$3x^2 + 12x + 12 = 0 \text{ or } 3x^2 - 12x + 12 = 0 \text{ O.E.} \quad M1$$

$$x = -2, y = 3 \text{ or } (-2, 3) \quad A1 \quad A1$$

$$x = 2, y = 27 \text{ or } (2, 27) \quad A1 \quad A1$$

8. a)  $\frac{-2 - (-4)}{3 - 0}$  o.f M  
 $\frac{2}{3}$  A  
 $y = \frac{2}{3}x - 4$  OR  $2x - 3y - 12 = 0$  A

b)  $(x, \frac{2}{3}x - 4)$  MUST BE AS COORDINATE B

$$\sqrt{[-4 - (\frac{2}{3}x - 4)]^2 + (0 - x)^2} (= 3\sqrt{13})$$

M1 USE OF FORMULA  
 M1 ALL CORRECT

$$\sqrt{\frac{4}{9}x^2 + x^2} (= 3\sqrt{13}) \quad A$$

$$\sqrt{\frac{13}{9}x^2} (= 3\sqrt{13}) \quad A$$

$$\frac{13}{9}x^2 = 117 \quad \text{OR} \quad \frac{13}{9}x^2 = 9 \times 13 \quad M$$

$$x^2 = 81 \quad M$$

$$x = \pm 9 \quad A$$

$$(9, 2) \quad (-9, -10) \quad A \quad A$$

↑

WITH EVIDENCE  
 OF SUBSTITUTION